



Measuring Agonist Bias

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Terminology

Biased Signalling

(Functional Selectivity)

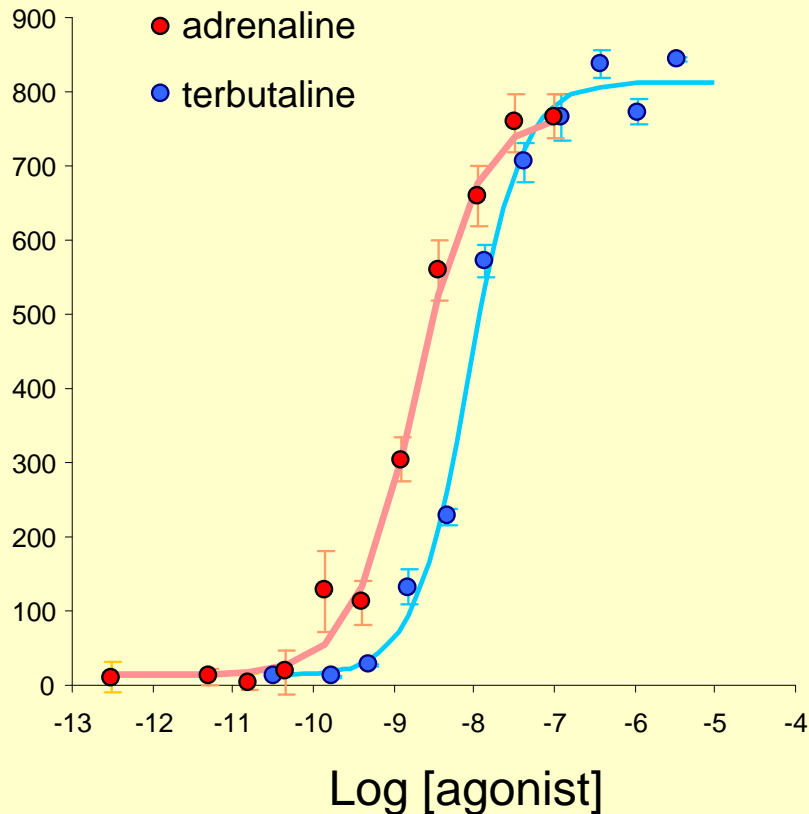
(may or may not be due to bias efficacy)

VS.

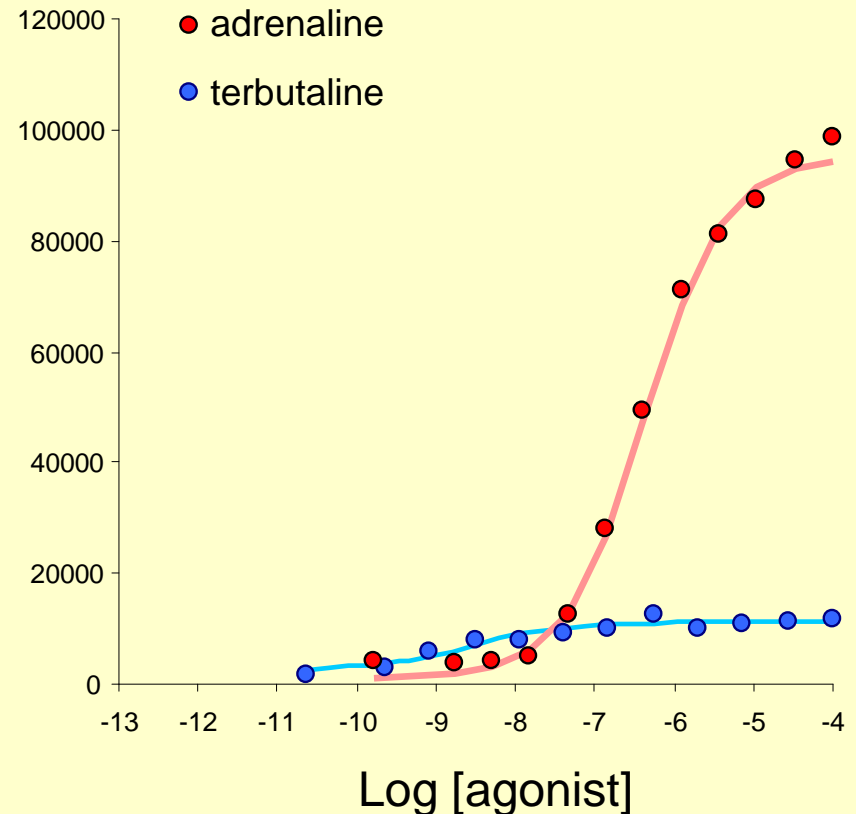
Bias efficacy or Bias Agonism

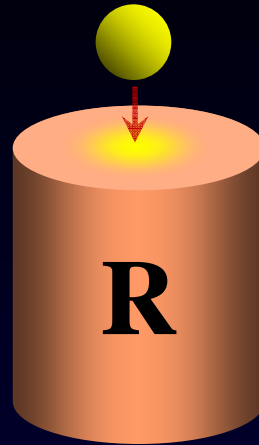
Functional Selectivity (β_2 -AR)

cAMP accumulation



ERK Phosphorylation

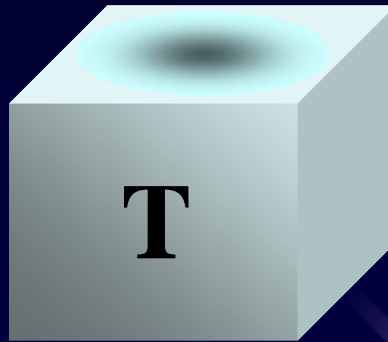




R

**Functional Selectivity
is possible**

**But no room for
Bias Efficacy**



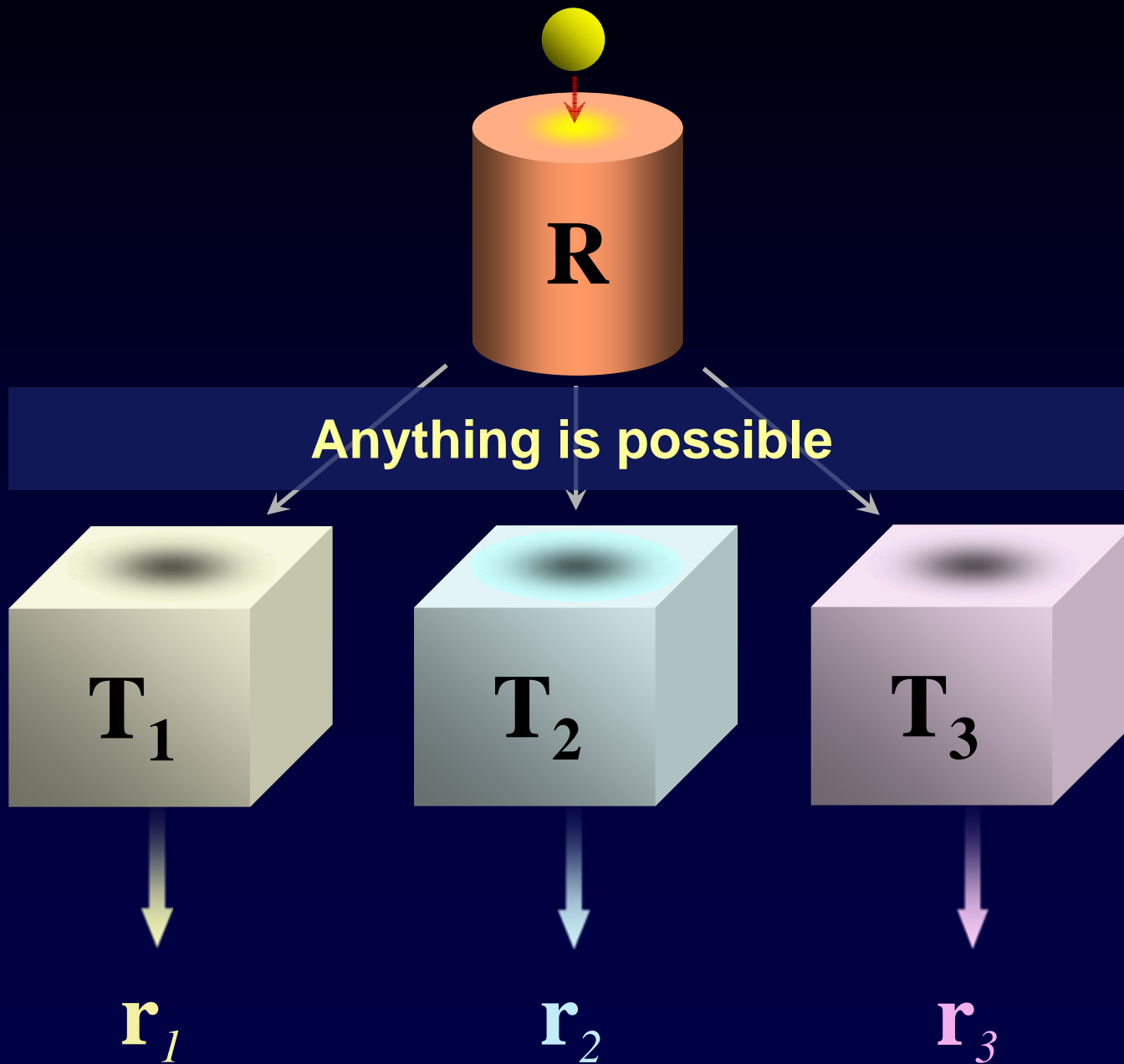
T

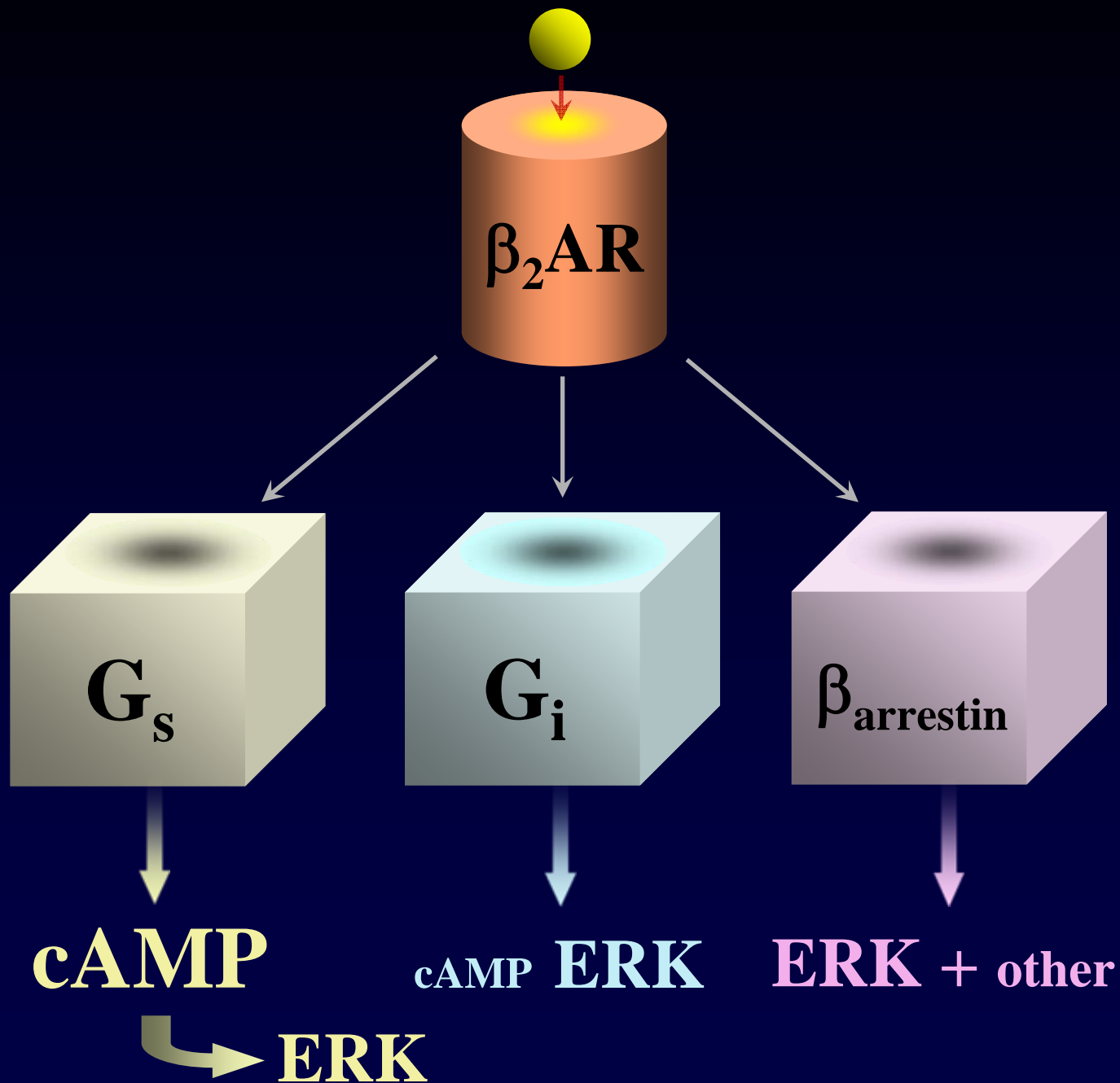
r_1

r_2

r_3

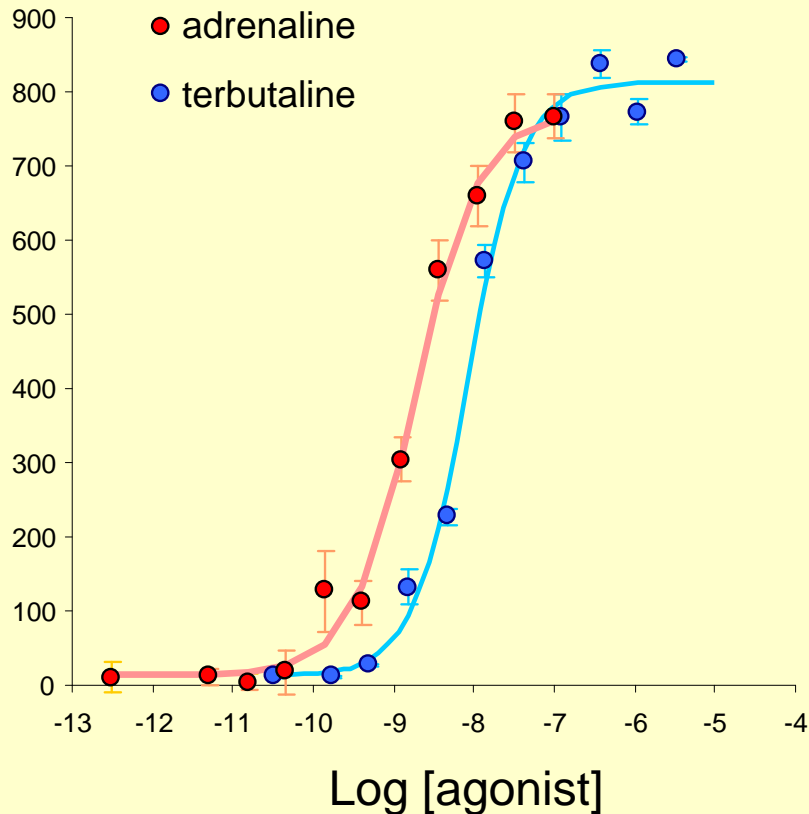




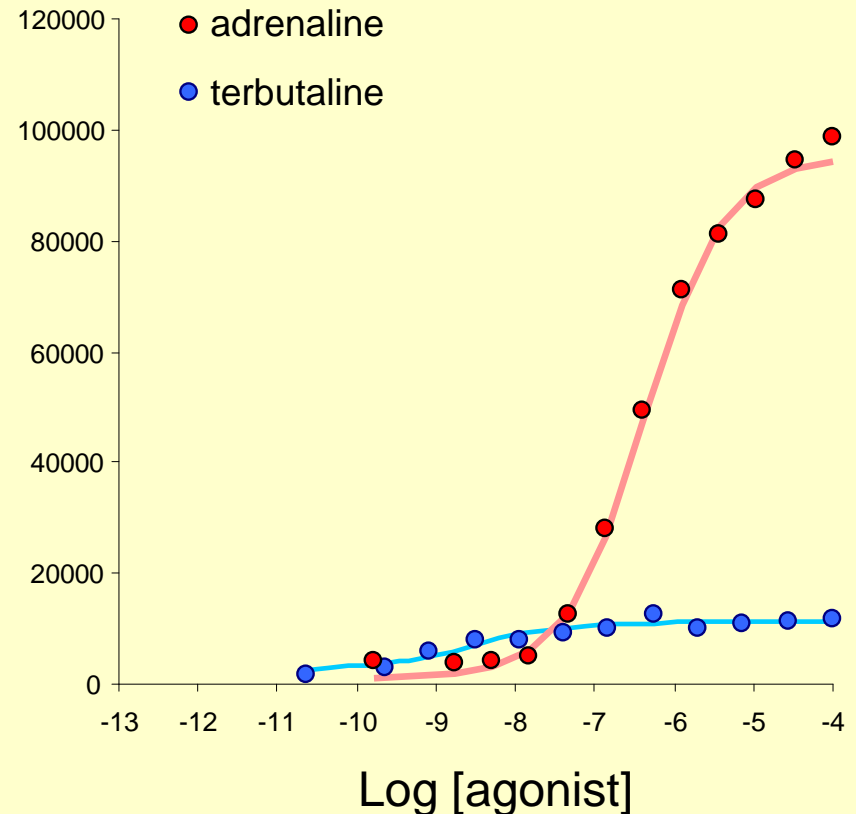


Functional Selectivity but **no bias efficacy** (β_2 -AR)

cAMP accumulation



ERK Phosphorylation



1

Make sure that the observed responses are mediated by different transducers.

Otherwise, agonist bias cannot be an explanation for the observed functional selectivity.

2

**Understanding & Measuring Bias
Agonism requires a theory of efficacy.**

ASF Theory

1935 – 1966 – 2014

binding $b = \frac{R_t [L]}{[L] + K_L}$



stimulus $s = \epsilon b$



response $r = f(s)$

Operational Model

1981 – 1983 – 2014

binding $b = \frac{R_t [L]}{[L] + K_L}$



stimulus $s = \epsilon b$



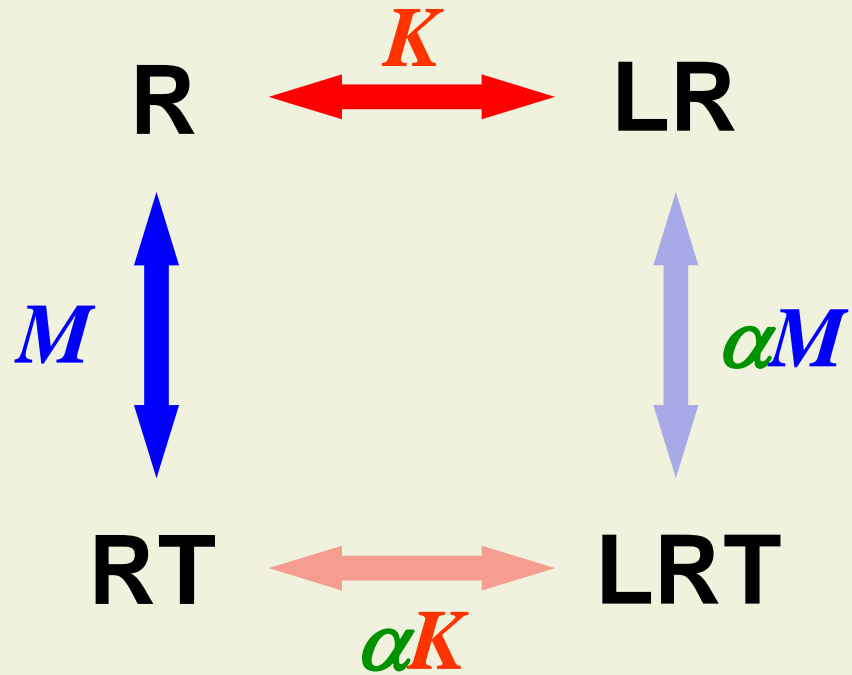
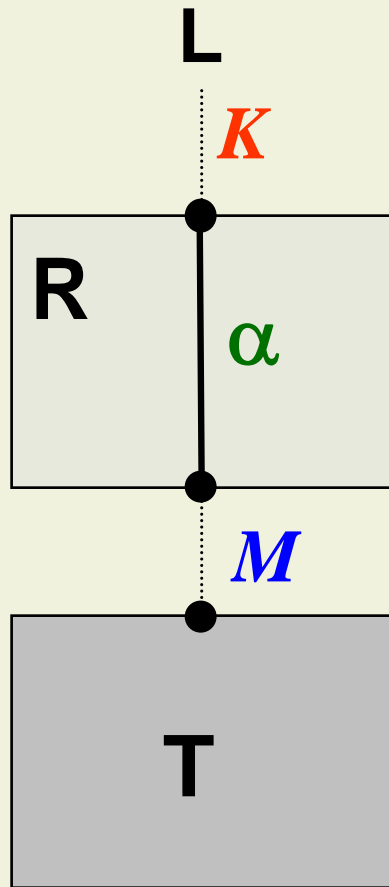
response $r = f(s) = \frac{r_{\max} s}{s + K_E}$

$$r = \frac{r_{\max} \tau / (1 + \tau) [L]}{[L] + K_L / (1 + \tau)} \quad \tau = \epsilon R_t / K_E$$



Molecular Description of efficacy

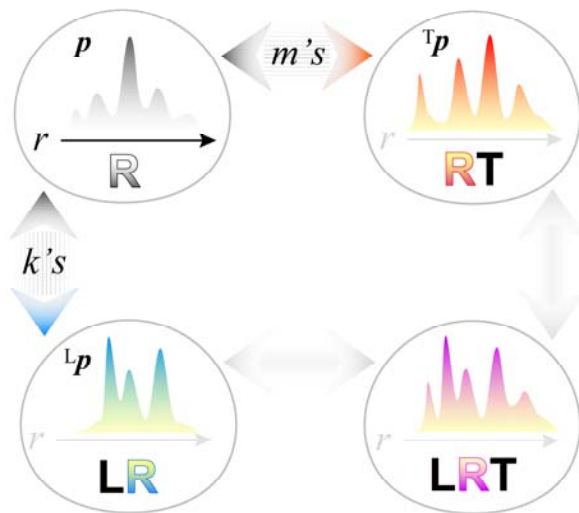
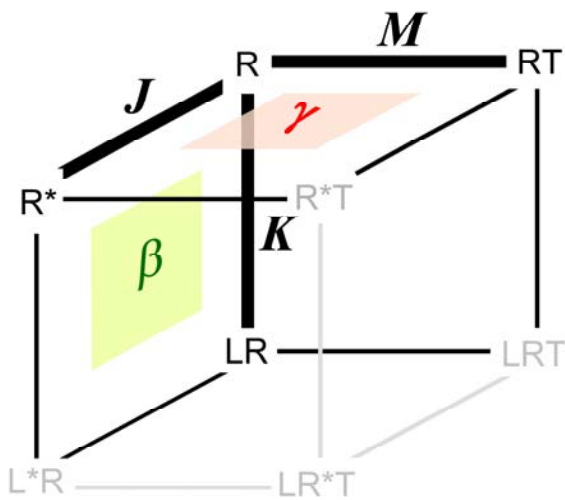
The TCM





Two-state TCM

TCM



Multi-state Probabilistic model

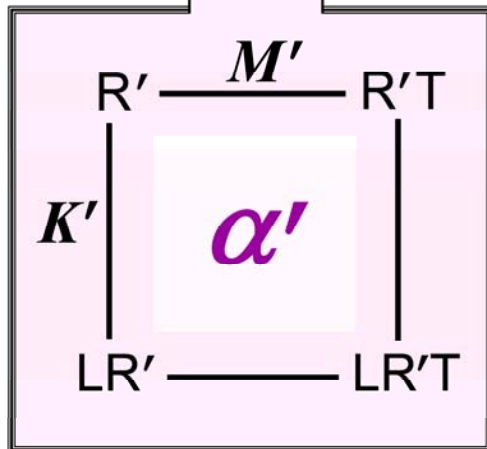
$$R \cup R^* \equiv R'$$

$$R' \equiv \bigcup_i r_i$$

$$K' = K \frac{1 + \beta J}{1 + J} = \langle k \rangle$$

$$M' = M \frac{1 + \gamma J}{1 + J} = \langle m \rangle$$

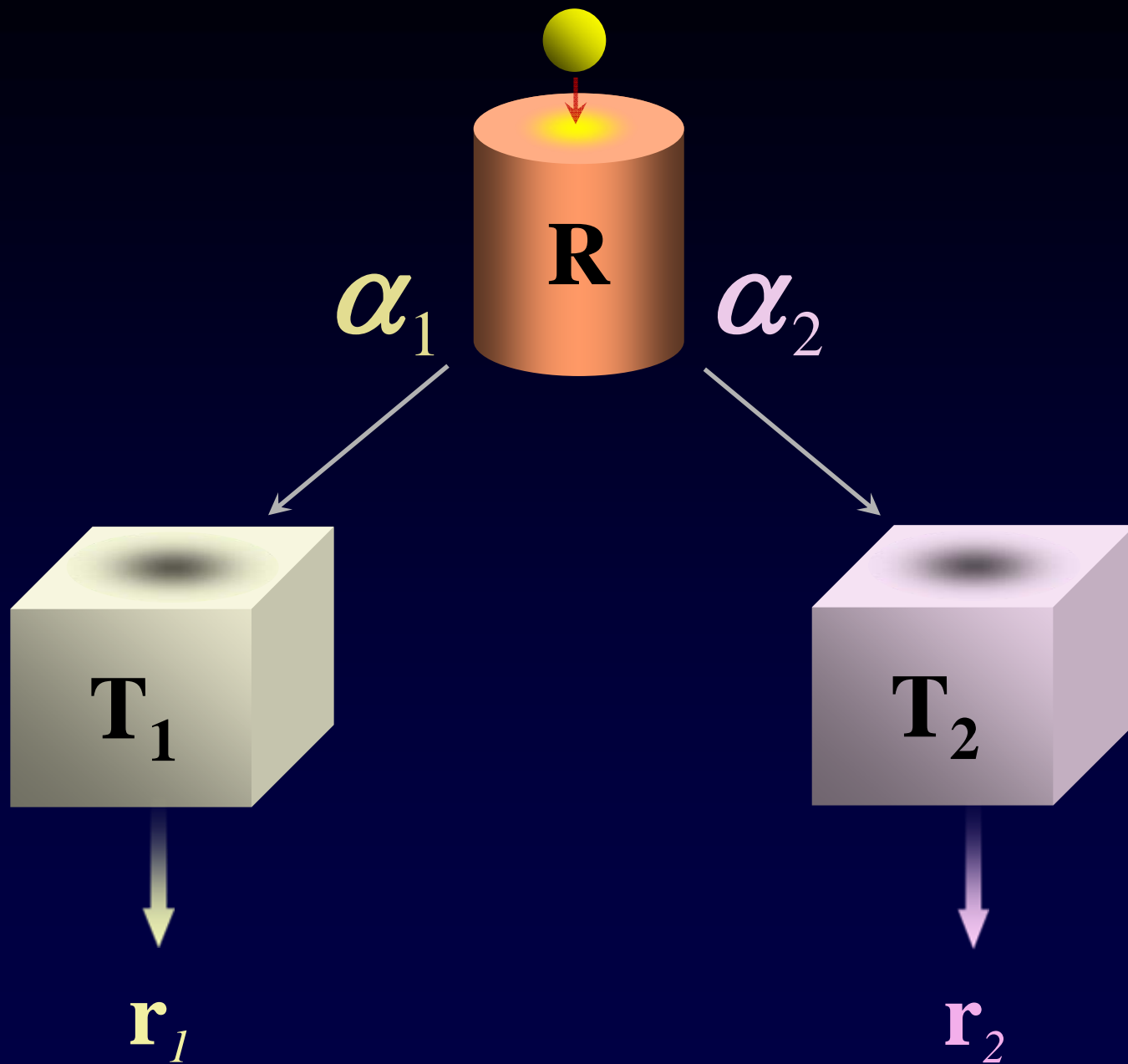
$$\alpha' = \frac{(1 + \beta \gamma J)(1 + J)}{(1 + \beta J)(1 + \gamma J)}$$



$$K' = \sum_i p_i k_i = \langle k \rangle$$

$$M' = \sum_i p_i m_i = \langle m \rangle$$

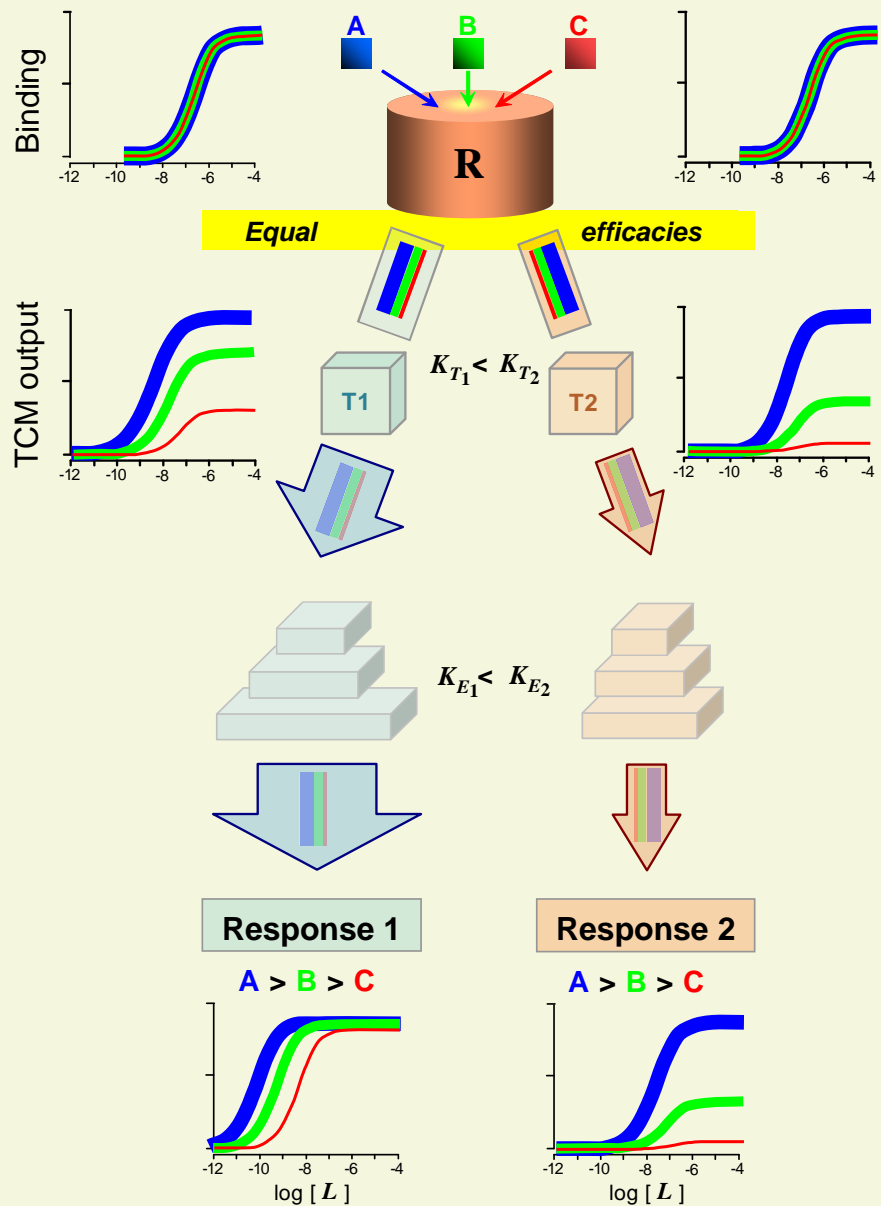
$$\alpha' = \sum_i \frac{p_i^R p_i^{LR}}{p_i}$$





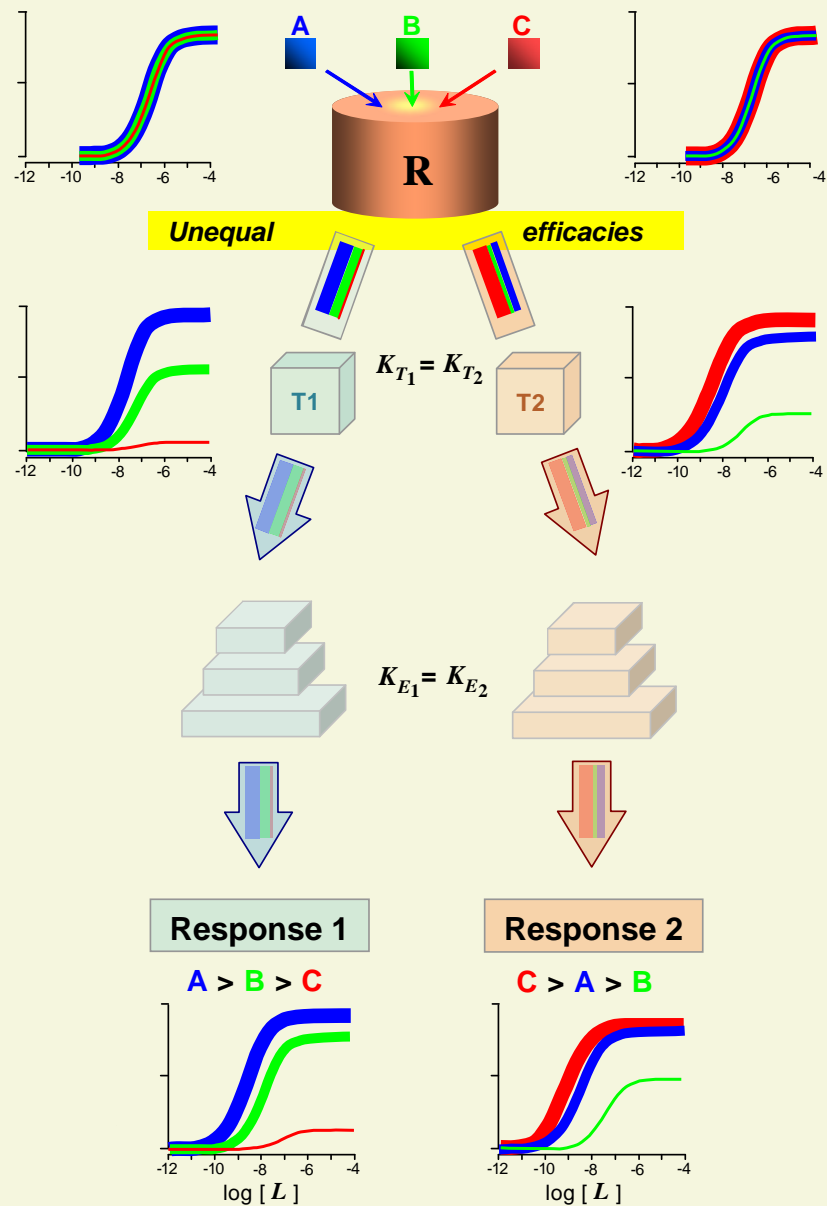
Functional Selectivity (+)

Bias efficacy (-)



Functional Selectivity (+)

Bias efficacy (+)



3

Measures of relative efficacy and agonist bias

In principle, all available strategies based on the ASF theory (including Operational Model approach) are equivalent.

What actually matters is the kind of information fed to the estimation procedures.

A simulation scheme

to show what actually these methods measure

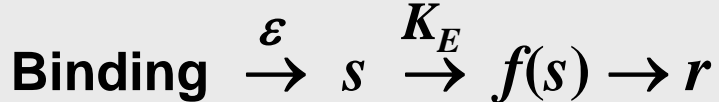
*GPCR activation is represented by ligand-induced Receptor-Transducer coupling
(TCM)*

Simulate different ligands with different α values

Take $[RT]+[LRT]$ as activity and correct for basal activity

*Feed the previous output to a **saturation** hyperbolic function*

*Fit the resulting curves with the operational model and see
how relative τ 's compare with simulated relative α 's*



$$r_{op} = \frac{E_{\max} [L]}{[L] + EC_{50}}$$

$$\frac{K_L}{1+\tau}$$

$$K_L \frac{1 + \hat{T}/K_T}{1 + \alpha \hat{T}/K_T}$$

$$r_{tcm} = \frac{E_{\max} [L]}{EC_{50} + [L]}$$

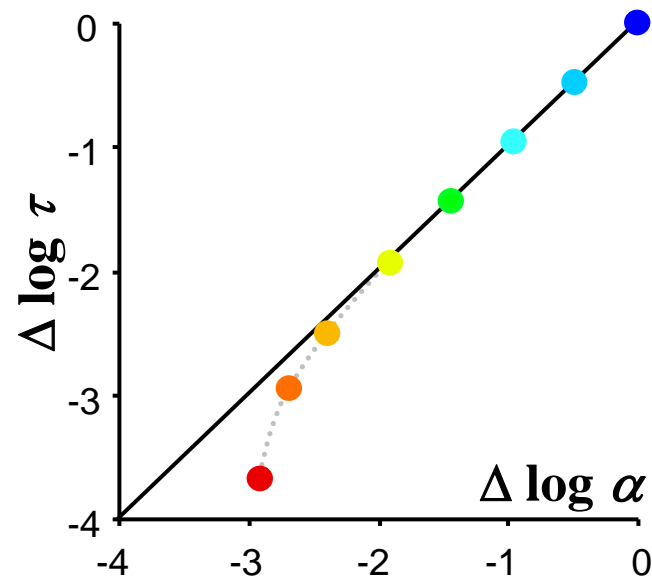
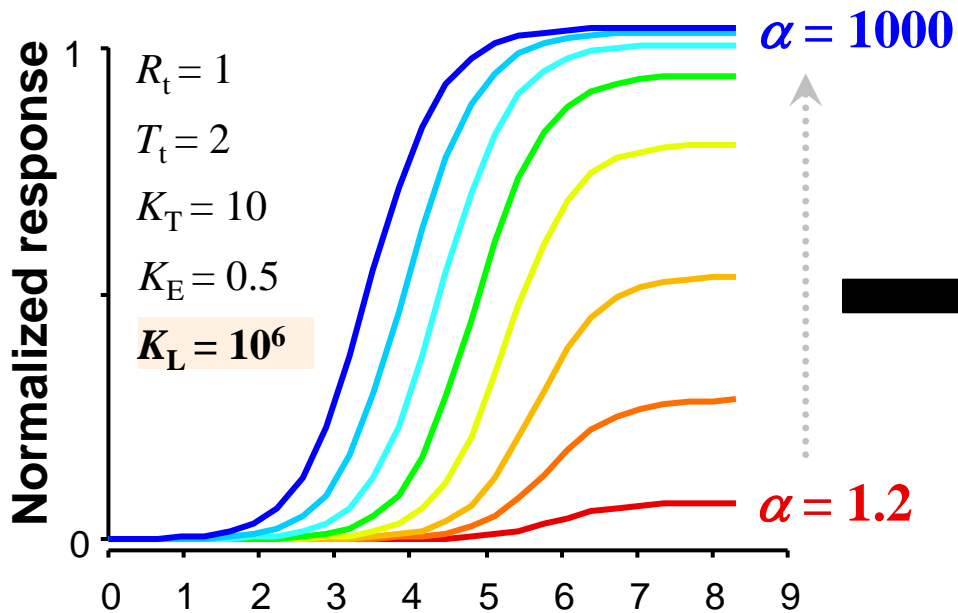
ASF

$$\tau = \varepsilon \frac{R_t}{K_E}$$

$$\varepsilon \frac{R_t}{K_E} = (\alpha - 1) \frac{\hat{T}/K_T}{1 + \hat{T}/K_T}$$

$$\varepsilon \equiv \alpha - 1$$

TCM



Simulation of an experimental case:

Two transducers / two pathway / biased and unbiased ligands

TCM $[RT] + [LRT] - [RT]_0$

```
graph TD; A["TCM [RT] + [LRT] - [RT]_0"] --> B["saturable hyperbolic function"]; B --> C["Response + experimental error"]; C --> D["Fit the resulting curves with the operational model and calculate"];
```

saturable hyperbolic function

Response + experimental error

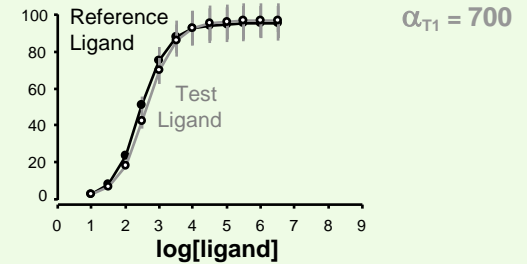
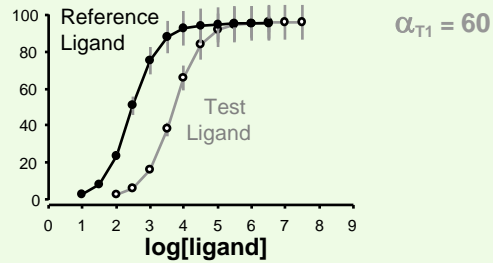
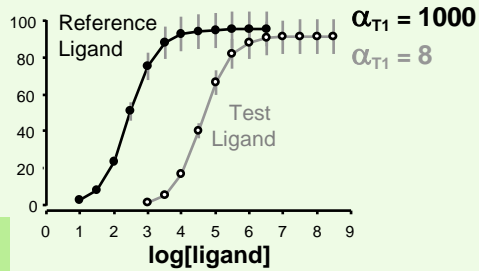
Fit the resulting curves with the operational model and calculate

Test ligands are :

Weak Agonists

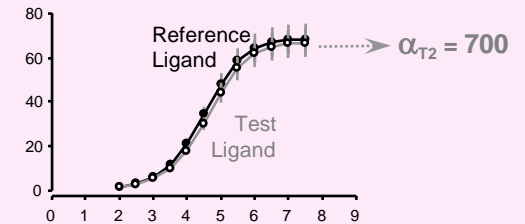
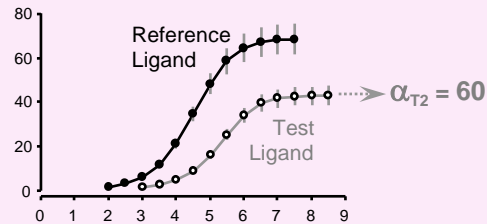
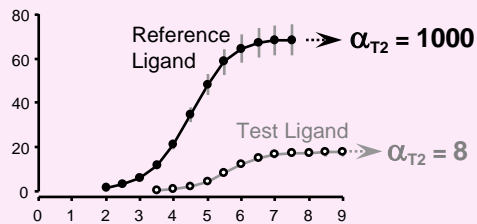
Mild Agonists

Strong Agonists

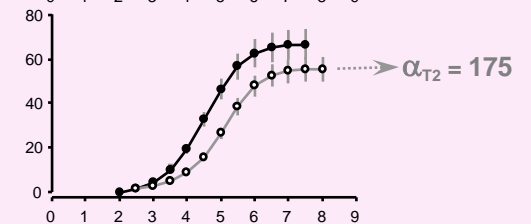
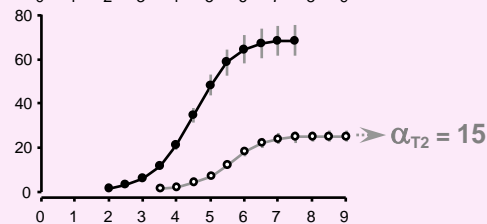
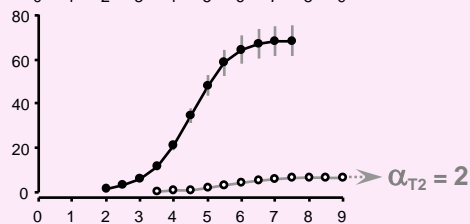


Response 1

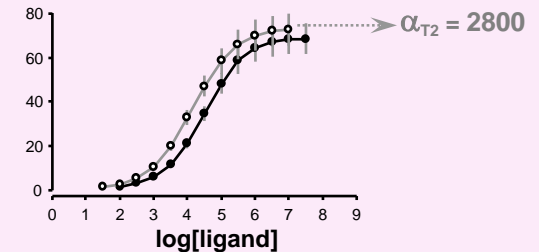
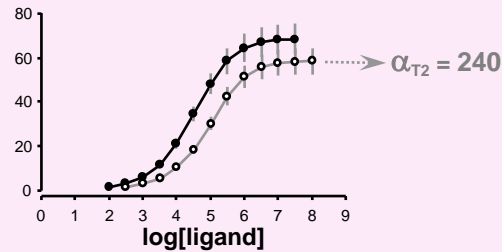
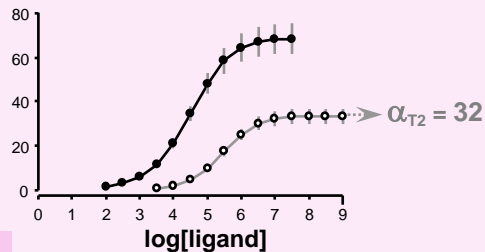
Unbiased



Bias
1 : 0.25



Bias
1 : 4



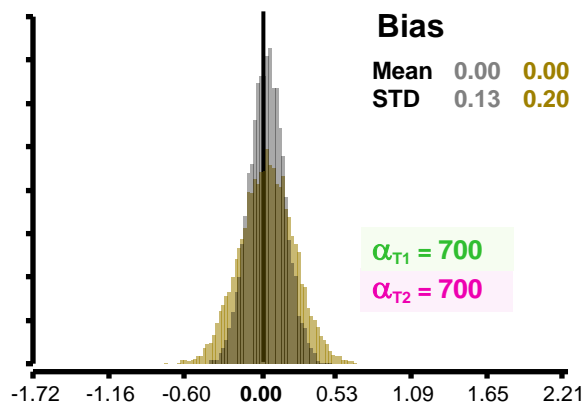
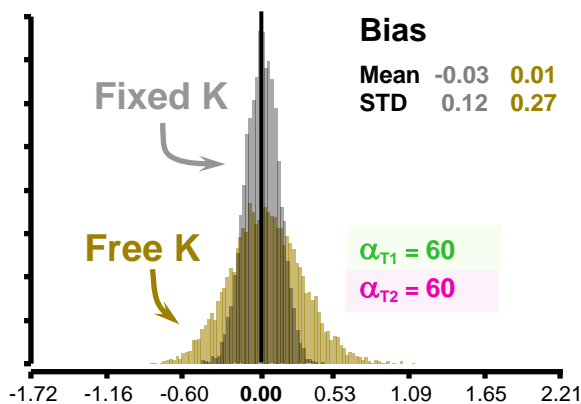
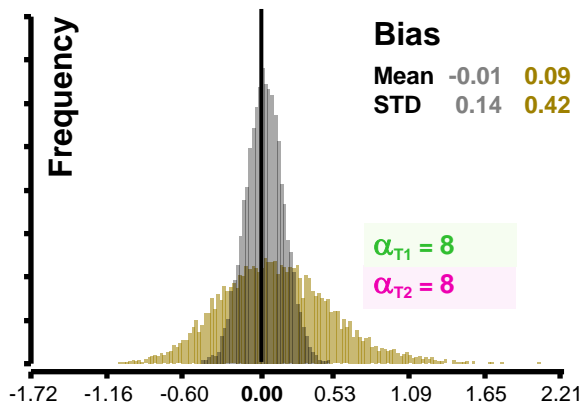
Response 2

Weak Agonist

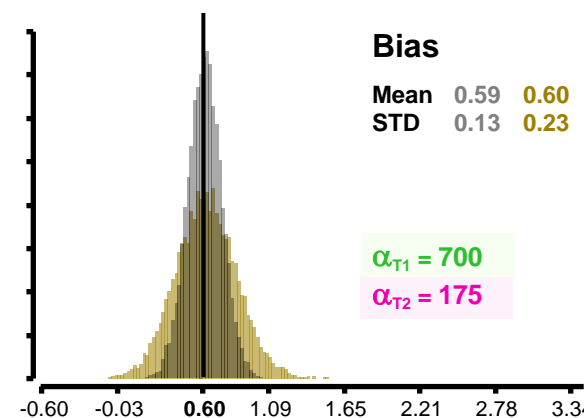
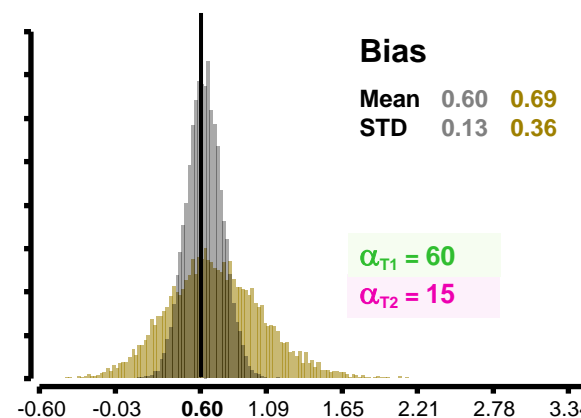
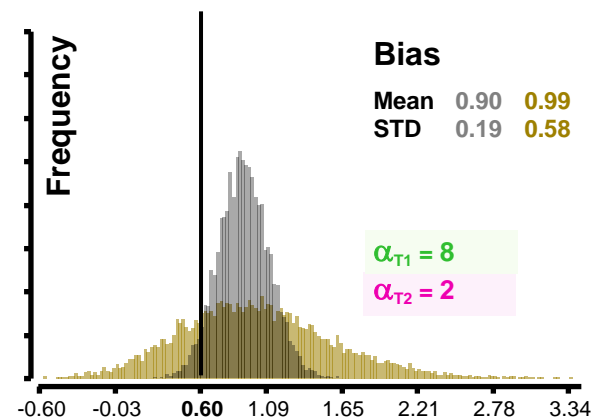
Mild Agonist

Strong Agonist

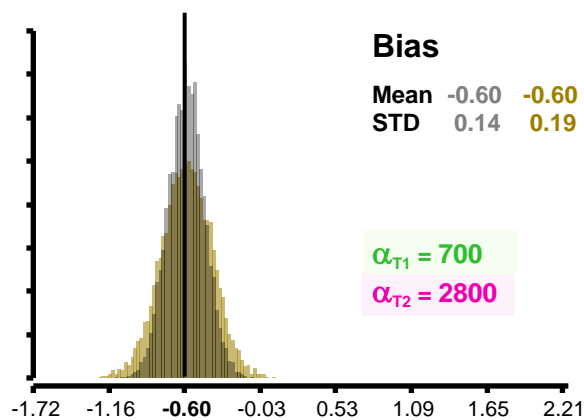
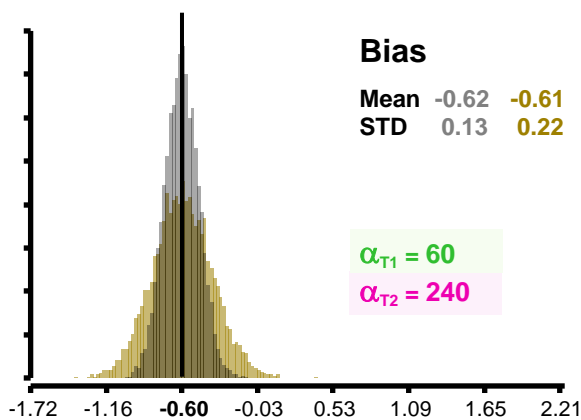
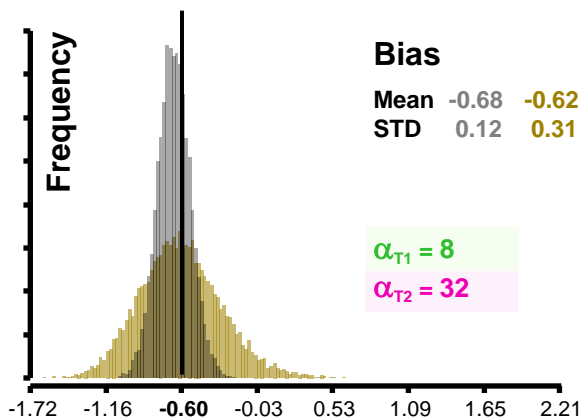
Unbiased



Bias 1 : 0.25



Bias 1 : 4



Bias Factor

Bias Factor

Bias Factor

Conclusion

1. Agonist Bias is measurable from CR curves.
2. All available methods are equivalent in that respect, if appropriate information is used in the estimation procedures.
3. If possible, use independently measured ***unconditional-K*** values to improve statistical efficiency of estimation.
4. Unconditional-K values can be best obtained from binding experiments performed in the presence guanine nucleotides/PTX treatment/KO/purified receptors systems etc.